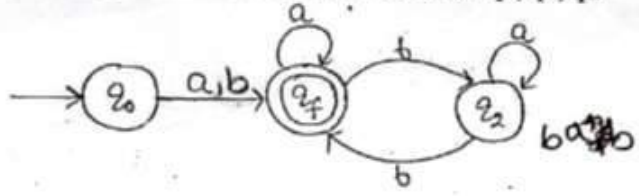




Daffodil International University
Faculty of Science & Information Technology
Department of Software Engineering
Final Examination, Summer 2025

Course Code: SE234; Course Title: Theory of Computing
Sections & Teachers: FBR (A-D), FJT (E-H), NJN (I-J), ZNM (K-L), MMN (M), AMR (N)
Time: 2:00 Hrs Marks: 40

Answer ALL Questions
[The figures in the right margin indicate the full marks and corresponding course outcomes. All portions of each question must be answered sequentially.]

1.	a) Construct a Parse Tree (showing LMD) for the string <u>abbababa</u> using the CFG: <u>aaabababb</u> $S \rightarrow aSb \mid bSa \mid ab.$	[Marks-3]	CLO-3 Level-3
	b) Apply state elimination method to discover the Regular expression from the following DFA To remove follow the order q_0, q_2, q_1. 	[Marks-5]	
	c) L1: Construct the regular expression for the language over $\{0,1\}$ such that no two 1's occur consecutively. L2: Construct a regular expression for the language consisting of one or more 0's followed by zero or more 1's followed by one or more 0's.	[Marks-5]	
	d) Illustrate a Non deterministic finite automata for the following regular expression by using the Lemma method. $(ab^* + ba^*)^*a.$	[Marks-4]	

e)	Construct a Context Free Grammar (CFG) for the language: $\{w \mid w \text{ contains equal number of 0's and 1's}\}$ ii) Construct a CFG for the language: $L(G) = \{a^n b^{2n} c^m d^k \mid n \geq 1, m > 1, k \geq 0\}$	[Marks-5]	
f)	Apply the concept of grammar ambiguity to determine whether the given grammar is ambiguous or not. $S \rightarrow A \mid B$ $A \rightarrow aAb \mid ab$ $B \rightarrow abB \mid \epsilon$	[Marks-4]	
g)	Construct a Push down Automata for the following language: $L = \{a^n b^n c^m \mid n, m \geq 1\}$	[Marks-4]	
h)	Demonstrate the following Push down automata and illustrate the acceptance (or rejection) of the string abaaba.	[Marks-5]	
2.	Compare the expressive power of Finite State Machine (FSM), Context Free Language (CFL), and Turing Machine (TM) with suitable examples for each. Also Show a Turing Machine over binary alphabet for $L = \{w \mid w \text{ ends with } 101\}$	[Marks-5]	CLO-4 Level-2