



# Daffodil International University

Department of Computer Science and Engineering

Faculty of Science & Information Technology

Final Examination, Fall-2023

Course Code: CSE315, Course Title: Artificial Intelligence

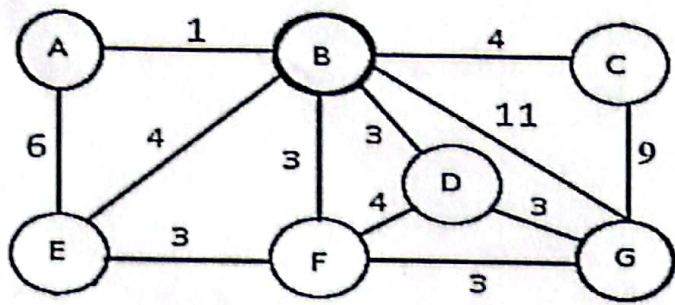
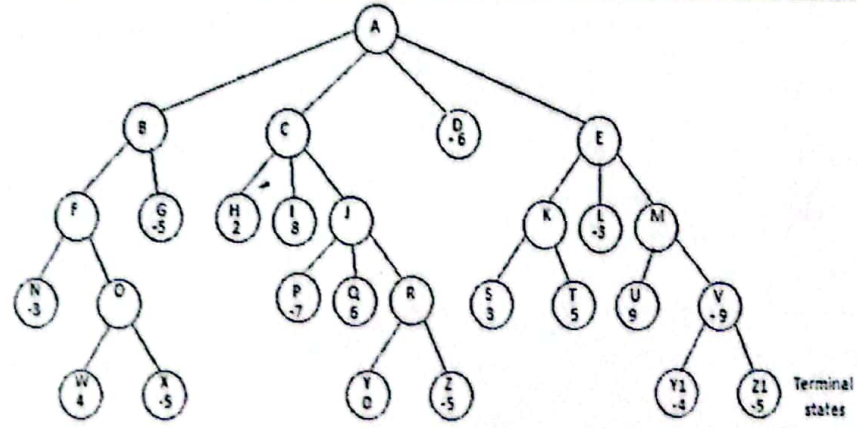
Level: L3 Term: T1/2 Batch: 60

Time: 2 Hours

Marks: 40

Answer ALL Questions [Optional]

[The figures in the right margin indicate the full marks and corresponding course outcomes. All portions of each question must be answered sequentially.]

<p>1. a)</p>	<p>Consider the following scenario:</p>  <p>Now, perform the following search algorithms on the above scenario, where the start node is A and the goal node is G. Please note that you should not re-visit the states visited previously. A* search</p>	<p>Straight line distance from G</p> <table border="1"> <tr><td>A</td><td>6</td></tr> <tr><td>B</td><td>4</td></tr> <tr><td>C</td><td>5</td></tr> <tr><td>D</td><td>5</td></tr> <tr><td>E</td><td>2</td></tr> <tr><td>F</td><td>6</td></tr> <tr><td>G</td><td>0</td></tr> </table>	A	6	B	4	C	5	D	5	E	2	F	6	G	0	<p>CO2</p>
A	6																
B	4																
C	5																
D	5																
E	2																
F	6																
G	0																
	<p>i) Greedy best-first search.</p>		<p>5</p>														
	<p>ii) A* Search.</p>		<p>5</p>														
<p>b) i)</p>	<p>Consider any two-player, turn-taking, board game. Represent this game as a search problem</p>		<p>5</p>														
	<p>ii) Consider the following game tree.</p>		<p>5</p>														
	 <p>board evaluation from computer's perspective</p> <p>Now, perform the minimax search on the above game tree.</p>																

c)	<p>Given,</p> $KB = \neg Q \rightarrow \neg P, \neg R \rightarrow \neg Q, \neg P \rightarrow \neg R.$ $\alpha = P \rightarrow Q \wedge Q \rightarrow P \wedge P \rightarrow R.$ <p>Find out whether <math>KB \models \alpha</math>.</p>	5	
d)	<p>A doctor is called to see a sick child. The doctor has prior information that 90% of sick children in that neighborhood have the flu, while the other 10% are sick with measles. Let F stand for an event of a child being sick with flu and M stand for an event of a child being sick with measles. Assume for simplicity that <math>F \cup M = \Omega</math>, i.e., that there no other maladies in that neighborhood. A well-known symptom of measles is a rash (the event of having which we denote R). Assume that the probability of having a rash if one has measles is <math>P(R   M) = 0.95</math>. However, occasionally children with flu also develop rash, and the probability of having a rash if one has flu is <math>P(R   F) = 0.08</math>. Upon examining the child, the doctor finds a rash. What is the probability that the child has measles?</p>	5	
e)	<p>Derive fitness function for 9 queen problem and find the fitness of following chess board:</p> <p>P1 = (1,2,3,4,5,6,7,8,9)</p> <p>P2 = (1,5,8,4,5,9,2,8,7)</p> <p>P3 = (6,2,9,4,7,6,1,8,5)</p> <p>P4 = (1,2,3,4,6,7,8,9,5)</p>	5	
2.	<p>What are the components of an Expert system? Describe them in brief.</p>	5	CO1